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11-7-2015

Viscous Fluid in a Horizontally Rotating Cylinder

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Bradshaw, K., & Van Engen, Z. (2015). Viscous Fluid in a Horizontally Rotating Cylinder. Retrieved from https://digitalcollections.dordt.edu/student_work/15

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Viscous Fluid in a Horizontally Rotating Cylinder

Researchers: Kolter Bradshaw, Zach Van Engen

Mentor: Dr. John Zwart

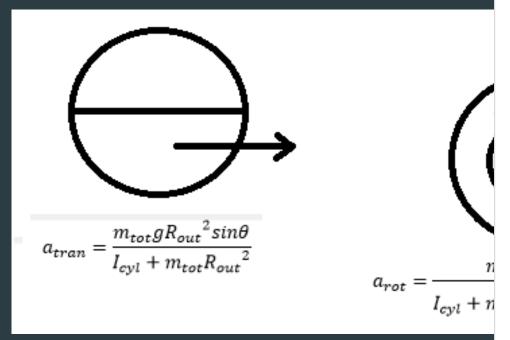
Background

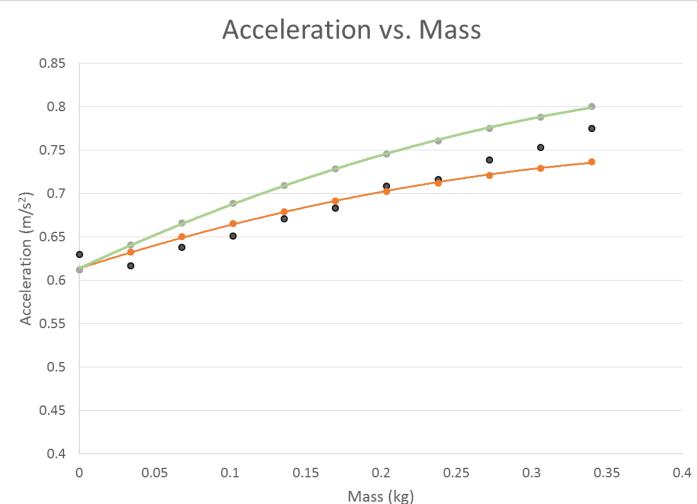
- Hoop vs. Disk
- Experimental setup



Non-viscous Liquid

- Translating or Rotating?
- Acceleration dependent on fluid motion

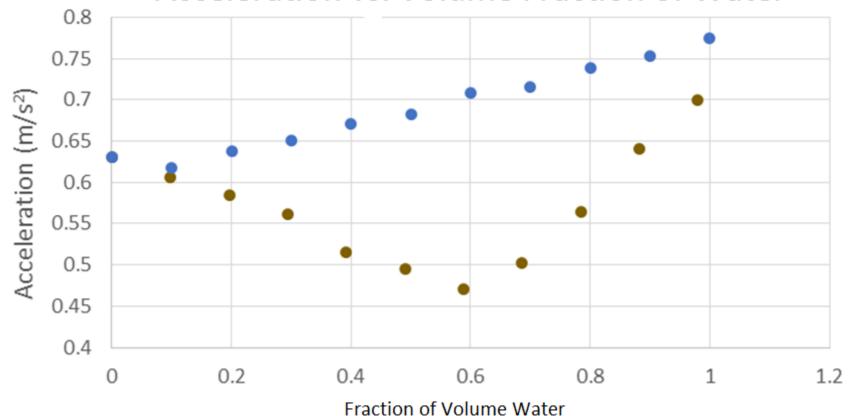




Viscous Liquid

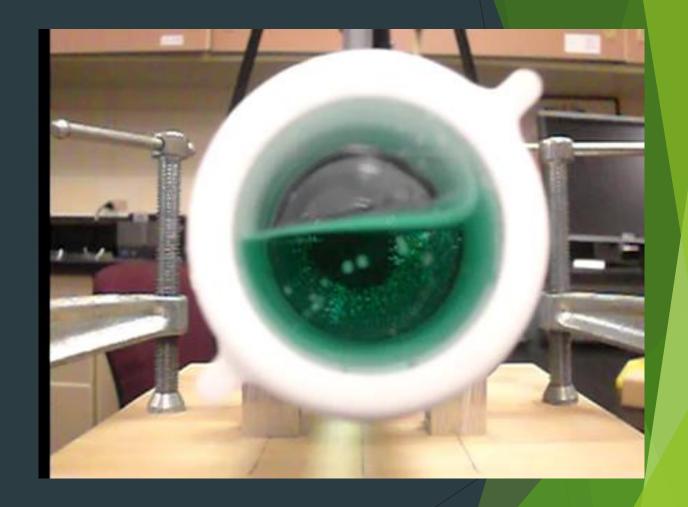
- Water vs. Glycerin
- Equations break down

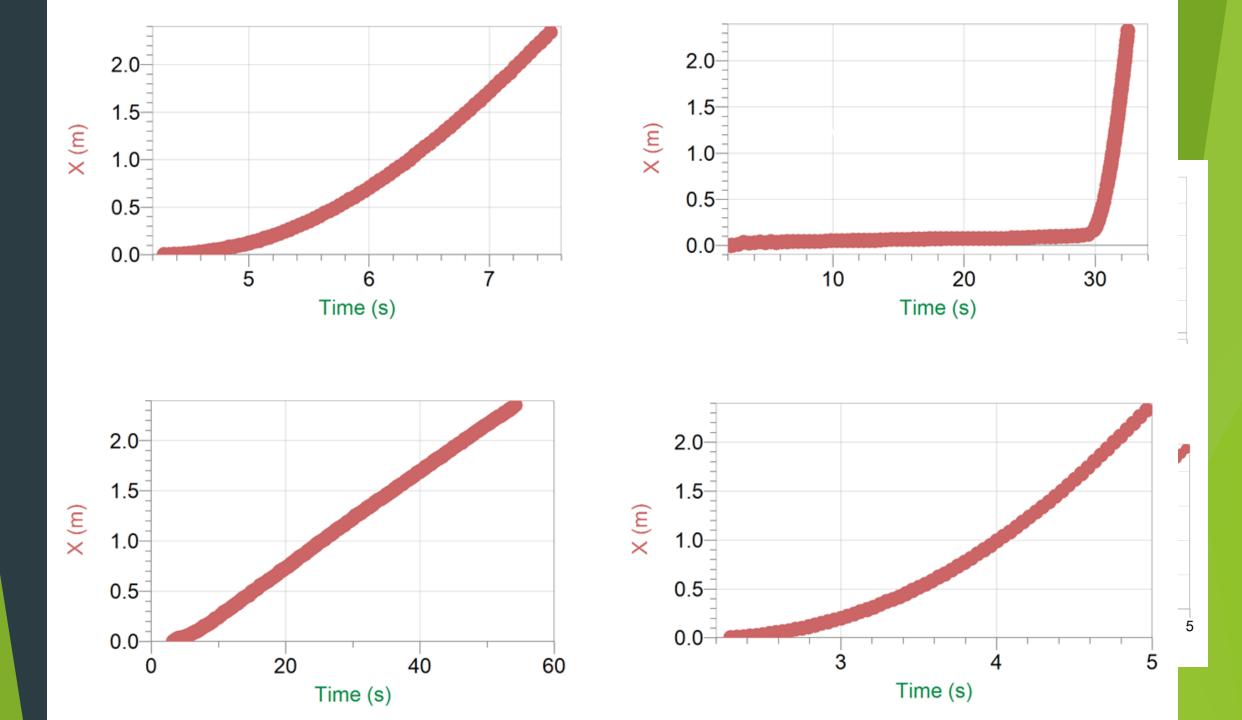




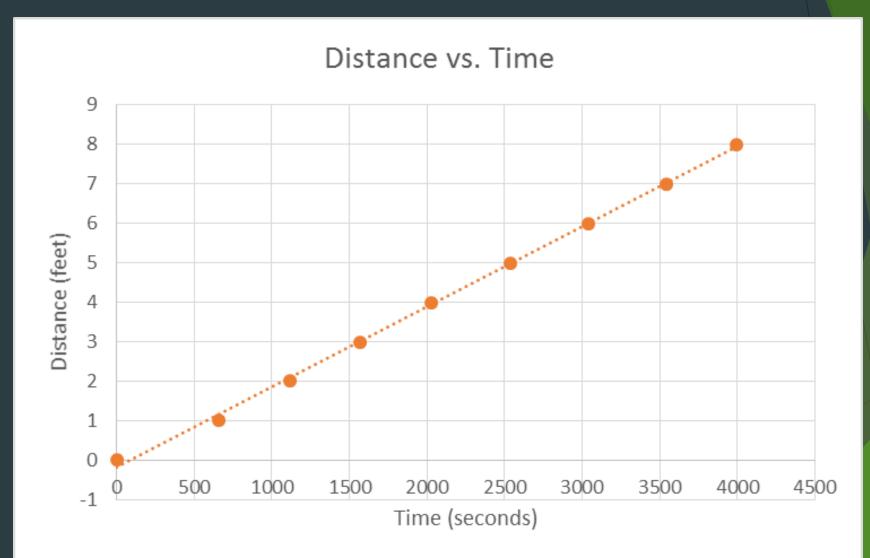
What's Changed?

- Change of shape
- Center of Mass offset
- Rotation within itself





Corn Syrup



Analysis and Modeling

- How to model motion?
 - Navier-Stokes
 - Beads
- Uncertainties

(r-direction)

$$\rho \left(v_r \frac{\partial v_r}{\partial r} + \frac{v_\theta \partial v_r}{r \partial \theta} - \frac{v_\theta^2}{r} + v_z \frac{\partial v_r}{\partial z} \right) = -\frac{\partial P}{\partial r} + \rho g_r + \mu \left[\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial v_r}{\partial r} \right) - \frac{v_r}{r^2} + \frac{\partial^2 v_r}{r^2 \partial \theta^2} - \frac{2\partial v_\theta}{r^2 \partial \theta} + \frac{\partial^2 v_r}{\partial z^2} \right]$$

(θ-direction)

$$\rho \left(v_r \frac{\partial v_e}{\partial r} + \frac{v_e \partial v_e}{r \partial \theta} + \frac{v_r v_e}{r} + v_z \frac{\partial v_e}{\partial z} \right) = -\frac{1}{r} \frac{\partial P}{\partial \theta} + \rho g_e + \mu \left[\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial v_e}{\partial r} \right) - \frac{v_e}{r^2} + \frac{\partial^2 v_e}{r^2 \partial \theta^2} + \frac{2\partial v_r}{r^2 \partial \theta} + \frac{\partial^2 v_e}{\partial z^2} \right]$$

(z-direction)

$$\rho \left(v_r \frac{\partial v_z}{\partial r} + \frac{v_e \partial v_z}{r \partial \theta} + v_z \frac{\partial v_z}{\partial z} \right) = -\frac{\partial P}{\partial z} + \rho g_z + \mu \left[\frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{\partial v_z}{\partial r} \right) + \frac{\partial^2 v_z}{r^2 \partial \theta^2} + \frac{\partial^2 v_z}{\partial z^2} \right]$$

Acknowledgments

- ▶ John Zwart
- ▶ Ben Saarloos
- ► Ethan Brue
- ▶ Jenni Breems
- ► Tim Martin

Q & A